# Efficient Algorithms for Multi-sender Data Transmission in Swarm-based Peer-to-Peer Streaming Systems

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2 Segment Transmission Scheduling

### 3 Evaluations

- Simulation
- Experiment



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### 4 Conclusions and Future Work

- A system to deliver streaming contents using P2P technology
- Example: PPLive, CoolStreaming, SopCast

#### • Design alternatives:

- Live and On-demand Streaming
- Tree-based and Swarm-based Structures
- Push-based and Pull-based Protocols
- Peer Matching: Random, ISP-aware, etc.
- Segment Transmission Scheduling

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Transmit a video stream from multiple senders to a receiver

- The stream is divided into segments
- Segments have different sizes and deadlines
- Senders have different bandwidths
- Senders may or may not hold a copy of a segment
- Whole streaming time is divided into sliding windows

**Goal:** construct schedules for each sliding window to maximize the number of on-time segments

Schedule: specify from which senders to request which segments

We study the Segment Transmission Scheduling (STS) problem:

- Show STS is NP-Complete
- Propose an Integer Linear Programming (ILP) formulation to optimally solve it
- Propose a 2-approximation algorithm to efficiently solve it:
  - Formally analyze its performance and time complexity
  - Evaluate it in both simulations and real experiments
  - Outperforms other algorithms used in current systems

#### Theorem

The segment transmission scheduling problem defined above is NP-Complete.

#### Proof.

Sketch:

Reduce the NP-Complete parallel machine scheduling problem to the segment transmission scheduling problem

- Random [Pai et al., IPTPS'05]
- Weighted Round-Robin [Agarwal and Rejaie, MMCN'05]
- Rarest First [Zhang et al., INFOCOM'05]
- Min-Cost Flow Based [MZhang et al., TPDS'09]
- Weighted Segment Scheduling [Hsu and Hefeeda, MMSys'10]

# **Problem Formulation**

$$= \max \sum_{n=1}^{N} \sum_{m=1}^{M} x_{n,m}$$
(1a)  
t.  $x_{\hat{n},\hat{m}} \leq a_{\hat{n},\hat{m}}$ (1b)  
 $\sum_{n=1}^{\hat{n}} (s_n/b_{\hat{m}}) x_{n,\hat{m}} \leq d_{\hat{n}}$ (1c)  
 $\sum_{m=1}^{M} x_{\hat{n},m} \leq 1$ (1d)

 $x_{\hat{n},\hat{m}} \in \{0,1\}, \ \forall \ \hat{n} = 1, 2, \dots, N \text{ and } \hat{m} = 1, 2, \dots, M.$  (1e)

• (1a): objective - maximize the number of on-time segments

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- (1b): always schedule a segment to a sender that holds a copy of it
- (1c): ensure that all assigned segments meet their deadlines
- (1d): avoid assigning a segment to more than one sender

#### • Main Idea

- Sort segments increasingly on their sizes
- Schedule on senders one by one
- On a single sender:
  - Select a segment that i) has shortest transmission time (smallest size);
     ii) can arrive on time
  - Remove the scheduled segment, and repeat the above step until no more segments can be scheduled on that sender
- Go on to schedule on the next sender in the same way
- Stop when all segments are scheduled or when no more bandwidth left

#### SSTF: Serialized Shortest Transmission-time First Algorithm

INPUTS:

(i) Segment sizes and deadlines in current scheduling window

(ii) Sender bandwidths and availability information

OUTPUT:

A schedule for each sender:  $\mathbf{Q}_1, \mathbf{Q}_2, \dots, \mathbf{Q}_M$ 

- 1. let  $\mathbf{Q}_m = \emptyset$ , where  $m = 1, 2, \dots, M$
- 2. let  $\overline{N}$  consists of all remaining segments
- 3. sort segments increasingly in  $\bar{\mathbf{N}}$  on segment size
- 4. for m = 1 to M // sequentially considers sender m
- 5. **let** t = 0 // consumed transmission time
- 6. foreach segment  $n \in \overline{\mathbf{N}} //$  from small to large

7. **if** 
$$a_{n,m} = 1$$
 and  $t + s_n/b_m \le d_n$ 

- 8. // segment n is available and can be transmitted on time
- 9. add segment n to  $\mathbf{Q}_m$
- 10. remove segment *n* from  $\bar{\mathbf{N}}$

11. **let** 
$$t = t + s_n/b_m$$

12. return  $\mathbf{Q}_1, \mathbf{Q}_2, \dots, \mathbf{Q}_M$ 

Figure: The proposed approximation algorithm SSTF.

### Theorem (Approximation Factor)

The SSTF algorithm returns a segment transmission schedule with a factor of at most 2 compared to the optimal solution.

### Proof.

- On sender *m*:
  - Let  $\mathbf{S}_m$  and  $\mathbf{S}_m^*$  be the schedule produced by the SSTF algorithm and an optimal algorithm, respectively
- For all the senders:
  - Let  $\mathbf{S} = igcup_{m=1}^M \mathbf{S}_m$  and  $\mathbf{S}^* = igcup_{m=1}^M \mathbf{S}_m^*$
  - We can show that  $|\boldsymbol{S}^*| \leq 2\,|\boldsymbol{S}|$

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 and  $\mathbf{S}^{*} = \bigcup_{m=1}^{M} \mathbf{S}^{*}_{m}$ 

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- Average performance is much better than the theoretical worst case
- 2: best approximation factor for this problem so far

### Theorem (Time Complexity)

The SSTF algorithm runs in time  $O(MN + N \log N)$ , where M is the number of senders and N is the number of segments.

#### Proof.

- Sorting segments takes O(N log N)
- On each sender, the algorithm scans through the segment list in O(N)
- Number of senders: O(M)
- So, total time =  $O(MN + N \log N)$

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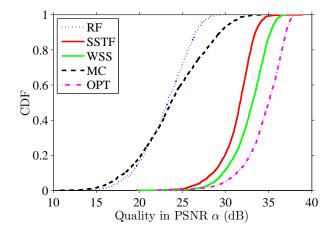


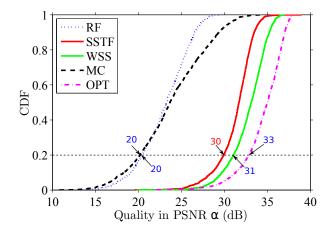
• Experiment

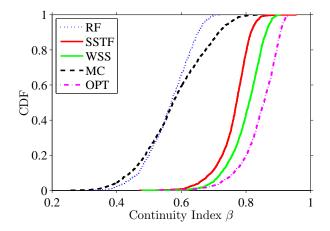
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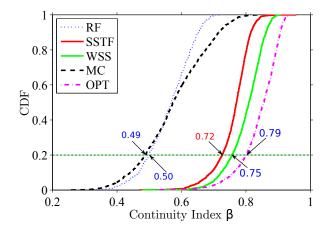
- An event-driven simulator written in Java
- Algorithms: RF, MC, SSTF, WSS, and OPT
- Two videos with different characteristics (Terminator 2, SonyDemo)
- Typical bandwidth distributions [Z. Liu et al., ICNP'08]
- 2000 peers (with 1% seeding peers)
- Peers join and leave the system dynamically

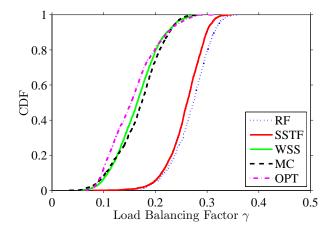
- Video quality: Average perceived video quality  $\alpha = \sum_{n=1}^{N} w_n u_n / N$
- Smoothness: Continuity index  $\beta = \sum_{n=1}^{N} u_n / N$
- Fairness: Load balancing factor γ: standard deviation of loads for all scheduling periods on senders

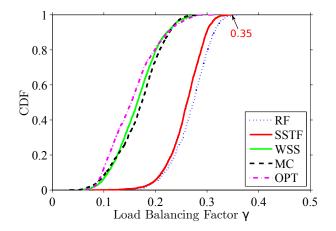


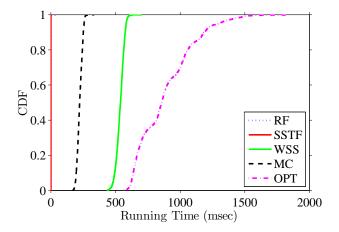












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Experiment



# Experiment Setup

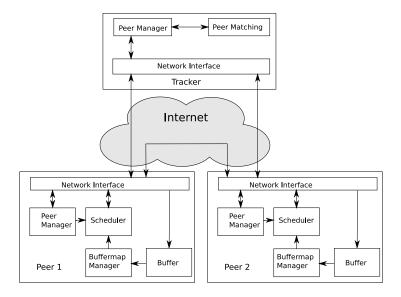


Figure: A high level diagram for the prototype system implementation

# Experiment Setup contd.

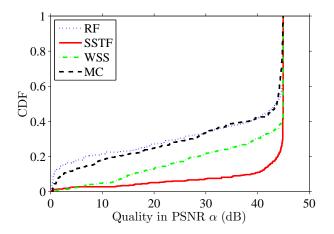
- Implement the P2P prototype system in Java
- Algorithms: RF, MC, SSTF, WSS
- Use the same videos as in the simulation
- Deploy the prototype on 500 nodes in PlanetLab

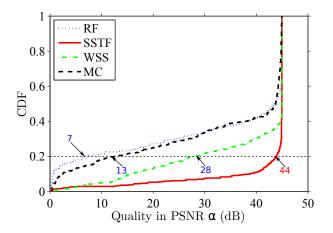
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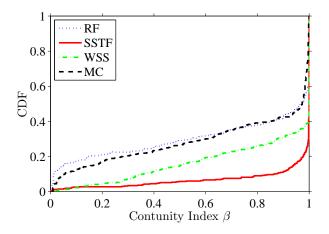
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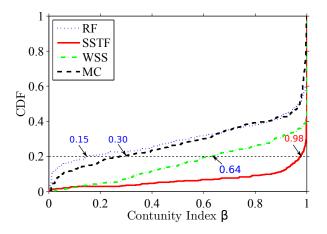


Figure: A snapshot of PlanetLab nodes distribution (http://www.planet-lab.org/generated/World50.png)









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  - Hardness and optimal solution using Integer Linear Programming
  - A 2-approximation algorithm to efficiently solve it; simulation and experimental results show that it:
    - runs very fast
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- Future Work
  - Scheduling algorithms for scalable video streams with guaranteed performance
  - Interaction of the proposed algorithm with other parts of the system

Questions?